

The graphs of quadratic functions, also known as parabolas, are all around us.

The arc of a shot at a basket in basketball, or the path of a dive into a swimming pool can be parabolas and when plotted on graphs, these parabolas are described by quadratic equations.

This is a minimum parabola, which has an equation of the form  $y = x^2 + a$  all squared plus b. The quadratic equation can be identified in the completed square form from the turning point (a,b).

The turning point is negative three, negative four, giving the equation  $y = x^2 + 3$  all squared subtract four.

A parabola with a maximum turning point is in the form  $y = -x^2 + a$  all squared plus b.

The turning point on this parabola is four, ten, so the equation of this parabola is  $y = -x^2 + 4$  all squared plus ten.

For both maximum and minimum parabolas, it is important to know that the axis of symmetry is always at the point where  $x = a$ . The axis of symmetry is  $x = -3$ .

The graph crosses the y-axis when  $x = 0$ .

You can use this knowledge to insert values into our equation,  $y = x^2 + 3$  all squared, subtract four, and determine specific points where required.

The y-intercept is found when  $x = 0$ . For the equation  $y = x^2 + 3$  all squared subtract four, the y intercept is found by:  $y = 0^2 + 3$  all squared, subtract four, which equals nine subtract four, which equals five.

The y-intercept has the coordinates zero, five.

Remember, when determining the quadratic equation, the key is to start with the turning point.